

2.1 Multiplying Fractions and Mixed Numbers Notes

Teacher

Objective: Students will demonstrate an understanding of the process for multiplying fractional numbers.

Vocabulary:

Mixed Number- a WHOLE NUMBER and a FRACTION combined into one "mixed" number

Improper Fraction- a fraction whose NUMERATOR is larger than the DENOMINATOR.

- Steps:
1. Write all numbers in fraction form.
 2. Cross-Simplify (Divide out common factors)
 3. Multiply Numerators
 4. Multiply Denominators
 5. Make sure the answer is in simplest form.

Examples:

1.) $\frac{8}{9} \times \frac{3}{4} = \frac{\cancel{8}^2}{\cancel{9}^3} \times \frac{\cancel{3}^1}{\cancel{4}^1} = \frac{2}{3}$	2.) $3 \times \frac{4}{15} = \frac{\cancel{3}^1}{1} \times \frac{4}{\cancel{15}^5} = \frac{4}{5}$
3.) $\frac{1}{2} \times 2\frac{3}{4} = \frac{1}{2} \times \frac{11}{4} = \frac{11}{8} = 1\frac{3}{8}$	4.) $5\frac{5}{7} \times 2\frac{1}{10} = \frac{\cancel{40}^4}{\cancel{7}^1} \times \frac{\cancel{21}^3}{\cancel{10}^1} = \frac{12}{1} = 12$

5.) You have $\frac{2}{3}$ of a bag of flour. You use $\frac{3}{4}$ of the flour to make bread dough. How much of the entire bag do you use to make the dough?

$$\frac{2}{3} \times \frac{3}{4} = \frac{6}{12} = \frac{1}{2} \text{ of the bag}$$

2.2 Dividing Fractions Teacher Notes

Objective: Students will apply the concept of reciprocals when dividing with fractional numbers.

Vocabulary:

- The **inverse** of an operation in math is its **OPPOSITE**. It un-does the problem.
 - The inverse of division is **MULTIPLICATION**.
- The **reciprocal** of a fraction is like an inverse. It's the fraction turned upside down or "**FLIPPED**".
 - When we multiply a fraction by its reciprocal, the product is **ONE**.
 - $\frac{4}{7} \times \frac{7}{4} = \frac{28}{28}$ which is 1 when simplified.

Dividing Proper Fractions

$$1.) \frac{3}{5} \div \frac{1}{2} =$$

$$\frac{3}{5} \times \frac{1}{2}$$

$$\frac{3}{5} \times \frac{2}{1} = \frac{6}{5}$$

$$= 1\frac{1}{5}$$

← 1.) Exchange the division sign for its **inverse**-MULTIPLICATION

← 2.) Replace the **SECOND** fraction with its **reciprocal**.

← 3.) **MULTIPLY** and re-write as a mixed number.

When we have *two opposites*, or **2 INVERSES** in the same problem, they cancel each other out. This is why multiplying by the reciprocal works for dividing fractions!

$$2.) \frac{7}{8} \div \frac{3}{4} = \underline{\hspace{2cm}}$$

$$\frac{7}{8} \times \frac{4}{3} = \frac{7}{\cancel{8}^2} \times \frac{\cancel{4}^1}{3} = \frac{7}{6} = 1\frac{1}{6}$$

Once you have re-written the math problem with multiplying by the reciprocal, we can **CROSS-SIMPLIFY** the numbers just like how we do when we multiply fractions.

$$3.) 9 \div \frac{2}{6} = \underline{\hspace{2cm}}$$

$$\frac{9}{1} \times \frac{6}{2} = \frac{54}{2} = 27$$

2.3 Dividing Mixed Numbers Teacher Notes

Objective: Students will apply a correct algorithm to divide mixed numbers.

- Steps:
- 1.) Write all numbers in fraction form.
 - 2.) Rewrite the problem-multiply by the reciprocal.
("Keep, Change, Flip")
 - 3.) Cross-simplify if you can
 - 4.) Multiply numerators.
 - 5.) Multiply denominators.
 - 6.) Simplify answer, if needed.

Be sure to always convert any mixed numbers into IMPROPER fractions to complete the problem!

1.) $5\frac{1}{3} \div \frac{2}{5} = \underline{\hspace{2cm}}$

$$\frac{\cancel{16}^8}{3} \times \frac{5}{\cancel{2}^1} = \frac{40}{3} = 13\frac{1}{3}$$

2.) $6\frac{2}{3} \div 2\frac{2}{5} = \underline{\hspace{2cm}}$

$$\frac{\cancel{20}^5}{3} \times \frac{5}{\cancel{12}^3} = \frac{25}{9} = 2\frac{7}{9}$$

3.) Mr. Diveley purchased a piece of wood at Home Depot that is $12\frac{3}{4}$ feet long. If he is building a table that needs segments of wood that are $\frac{3}{4}$ feet long, how many segments will he be able to cut from his original piece of lumber?

$$12\frac{3}{4} \div \frac{3}{4} = \frac{\cancel{51}^{17}}{\cancel{4}^1} \times \frac{\cancel{4}^1}{\cancel{3}^1} = \frac{17}{1} = 17 \text{ segments}$$

2.4 Multiplying and Dividing Fractions Word Problems STUDENT NOTES

Essential Questions: How can you identify the math operation needed for working with fractions in a word problem? How can you make sense of the math problem?

Lesson Objective: Students will work together to determine key math operations in fraction word problems and use rules for multiplying and dividing fractions to solve these problems.

- Steps:**
1. Read the problem and underline words that can be math operations.
 2. Draw a picture if that is a useful strategy.
 3. Decide if you are breaking \div apart or putting together \times for the final product or quotient. This helps determine if you are dividing or multiplying.

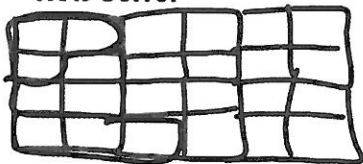
Examples:

1. How many $\frac{3}{4}$ pound packages can you make with 6 pounds of sunflower seeds?

Circle one:
Now Solve:

MULTIPLY or **DIVIDE**

6 pounds into packages



$$6 \div \frac{3}{4} = \frac{6}{1} \div \frac{3}{4} = \frac{6}{1} \times \frac{4}{3} = 8$$

I can make 8 packages

2. Maddie makes $3\frac{1}{2}$ cups of homemade applesauce. If she splits the homemade applesauce into $\frac{1}{8}$ cups per serving, how many servings can she get from the applesauce?

Circle one:
Now Solve:

MULTIPLY or **DIVIDE**

the applesauce

$$3\frac{1}{2} \div \frac{1}{8}$$

$$7\frac{1}{2} \div \frac{1}{8}$$

